

## Sections 2.3 & 2.4 - Equations of Lines

**In class work :** Solve each problem.

**Exercise #1** Complete the following ordered pairs to make solutions to the equation  $x + 2y = 8$ :  $(0, ?), (? , 0), (-\frac{4}{3}, ?)$

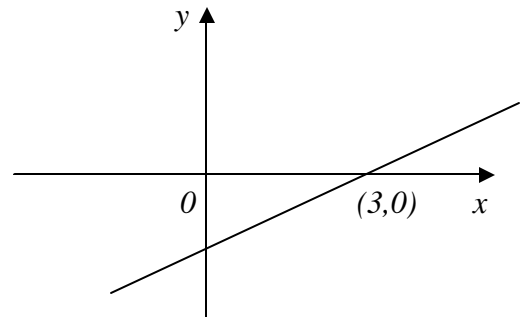
**Exercise #2** Complete the table for the equation  $y = \frac{2}{3}x$ :

$x$	$y$
0	
	2
-1	
	$3/2$

**Exercise #3** The graph of  $2x - 3y = 6$  is given .

- a) Is  $(0, 0)$  a solution?
- b) Is  $(3, 0)$  a solution?
- c) Is  $(-2, 1)$  a solution?

Prove algebraically and graphically.



**Exercise #4** An equation for the concentration of toxic chemicals is  $C = 285 - 15t$ , where  $C$  is the concentration in part per milliliter (ppm), and  $t$  is the number of years from now.

- a) Find the intercepts of the graph and graph the equation using the intercepts.
- b) What is the significance of the intercepts ?

**Exercise #5** A computer store budgets \$12,000 to buy computers and laser printers. Each computer costs \$650 and each printer costs \$200.

- a) Write an equation that models the given situation.
- b) Sketch the graph. Be sure to label the axes clearly.
- c) What is the significance of the intercepts?
- d) If the store buys 4 computers, how many printers can they buy?

**Exercise #6** What is the equation of the

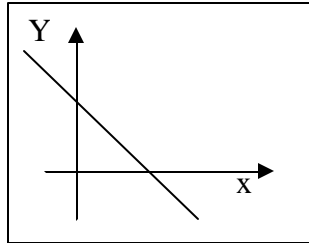
- a) horizontal line that passes through  $(2, 3)$  ?
- b) vertical line that passes through  $(4, -3)$  ?
- c)  $x$ -axis?
- d)  $y$ -axis?

**Exercise #7** The weight (in kilograms) of a pumpkin is measured as it grows over a particular month. After 2 days, the pumpkin weighed 3 kilograms while at 31 days, the pumpkin's weight was 9 kilograms.

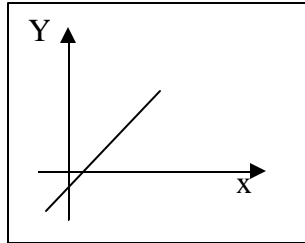
- a. Assuming the weight is growing at a linear rate, find a formula that gives the weight "W" (in kilograms) in terms of the number of days "D"
- b. What are the units of the slope and what does it mean in this problem.

**Exercise #8** Match the graphs (I) – (VI) with the equations given below. (You shouldn't need to graph each equation to determine which is which!) NOTE: The x and y scales may be unequal. Show all work.

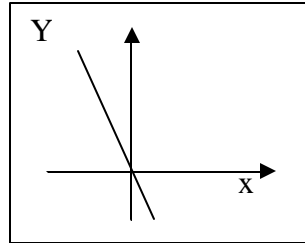
- a.  $y = .005x + .009$    b.  $x = -py$    c.  $y = \frac{5}{2} - \frac{3}{4}x$    d.  $x - \sqrt{1000} = 0$    e.  $3x + 4y + 10 = 0$   
 f.  $y = 351x - 140$



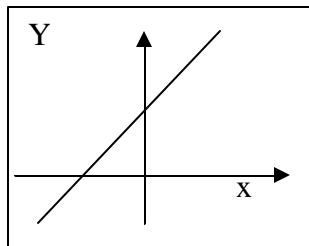
(I)



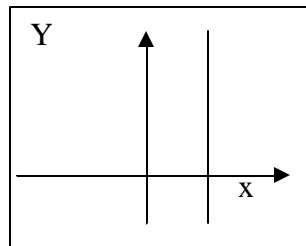
(II)



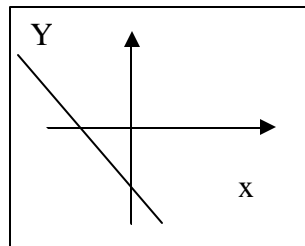
(III)



(IV)



(V)



(VI)

**Exercise #9** At a University, campus food services decides to sell gourmet coffee from a cart in front of the library. The table below is a projection of the cost to the university of selling various amounts of coffee.

Total cost to serve  $x$  cups of coffee in a day

x (cups)	0	5	10	50	100	200
C (dollars)	50.00	51.25	52.50	62.50	75.00	100.00

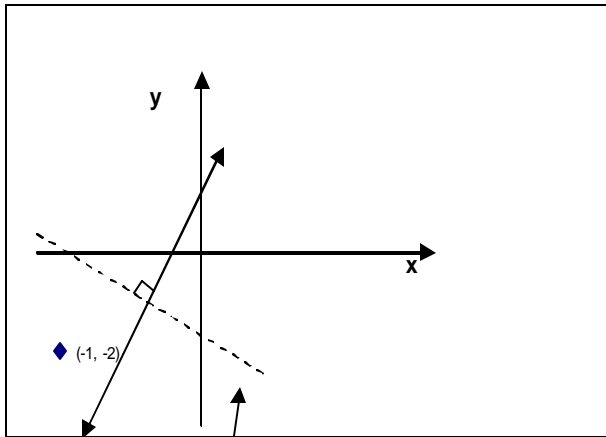
- Using the table, show that the relationship is linear.
- Plot the data found in the table.
- Find the slope of the line. Explain what this means in the context of the given situation.
- What will it cost to serve 13 cups of coffee in a day?

**Exercise #10** Are the lines given by these equations parallel, perpendicular or neither?

$$y - \frac{2}{3}x = 0; \quad 3y = 2x + 1.$$

**Exercise #11** Find an equation of the line that passes through the point  $(-1, 2)$  and is perpendicular to  $\frac{5}{18}x + \frac{1}{6}y = \frac{2}{3}$ .

**Exercise #12** Find the equation of the solid line graphed below.



$$\frac{1}{2}x + \frac{5}{4}y + 2 = 0$$

**Exercise #13** Which one of the following is true?

- a) A linear function with nonnegative slope has a graph that rises from left to right.
- b) Every line has an equation that can be expressed in slope-intercept form.
- c) The graph of the linear function  $5x+6y=30$  is a line passing through the point  $(6,0)$  with slope  $-5/6$ .
- d) The graph of  $x=7$  in the rectangular coordinate system is the single point  $(7,0)$ .

**Exercise #14** Write the slope-intercept equation of a function  $f$  whose graph passes through  $(-5,6)$  and is perpendicular to the line that has an  $x$ -intercept of 3 and a  $y$ -intercept of  $-9$ .

**Exercise #15** Find a function that models the given description. Describe what each variable represents.

- (a) In 1998, there were 84 million Internet users in the United States and this number has increased at a rate of 21 million users per year since then.
- (b) In 1996, 1.7% of U.S. taxpayers were audited by the IRS and this percentage has decreased at a rate of 0.28% per year since then.